

```

1  clear; close all; clc
2  set(0,'DefaultFigureWindowStyle','docked')
3  %% Linear estimation in one dimension
4
5  dt = 1;                % timestep [sec]
6  T = 10;                % duration [sec]
7  n = T/dt;              % number of steps
8  t = linspace(dt,T,n);  % time vector
9
10 % speed
11 v = 5;                 % [m/s]
12
13 % Noise on the motion model
14 std_x = 1; % [m]
15 sig_x = std_x^2;
16
17 % Noise on the measurement model
18 std_z = 2; % [m]
19 sig_z = std_z^2;
20
21 x0 = 0 + std_x * randn;
22
23 x = zeros(1,n);
24 x(1) = x0;
25
26 z = zeros(1,n);
27
28 xhat = zeros(1,n);
29 xhat_0 = 0 + std_x * randn;
30 xhat(1) = xhat_0;
31 xhat_p = xhat;
32
33 sig = zeros(1,n);
34 sig(1) = sig_x;
35 sig_p = sig;
36
37 for k = 2:n
38     x(k) = x(k-1) + dt*v + randn * std_x;
39     z(k) = x(k) + randn * std_z;
40
41     xhat_p(k) = xhat(k-1) + v*dt;
42     sig_p(k) = sig(k-1) + sig_x;
43
44     K = sig_p(k) / (sig_p(k) + sig_z);
45
46     xhat(k) = xhat_p(k) + K * (z(k) - xhat_p(k));
47     %sig(k) = sig(k) * sig_z / (sig(k) + sig_z);
48     sig(k) = sig_p(k) - K * sig_p(k);
49 end
50
51 % RMS of the estimation error
52 RMSE = sqrt(sum((x-xhat).^2)/n)
53 RMSE = sqrt(mean((x-xhat).^2))
54 RMSE = sqrt((x-xhat)*(x-xhat)'/n)
55 RMSE = rms(x-xhat)
56
57 figure
58 hold on; box on;
59
60 plot(x,'b')
61 plot(z,'go')
62 plot(xhat,'r')
63 xlabel('Time [sec]')
64 ylabel('Position [m]')
65 title(['RMSE = ',num2str(RMSE)])
66 yyaxis right
67 plot(x-xhat)
68 plot([dt,T],[RMSE,RMSE])
69 ylim([-3,3])
70 leg = {'True state','Measurement','Estimated state','Error','RMSE'};
71 legend(leg,'Location','NorthWest')

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